

Introduction to ONETEP

Chris-Kriton Skylaris



Outline

- Density matrix reformulation of DFT
- Localised function representation of density matrix
- Linear-scaling with localised functions
- Linear-scaling with large basis set accuracy
 - NGWFs, density kernel
 - Plane waves and psinc basis set
 - FFT box
 - Parallel scaling
- Compilation and hardware requirements
- Running a simple calculation
- Functionality available
- Examples of ONETEP applications

Density Functional Theory (DFT)

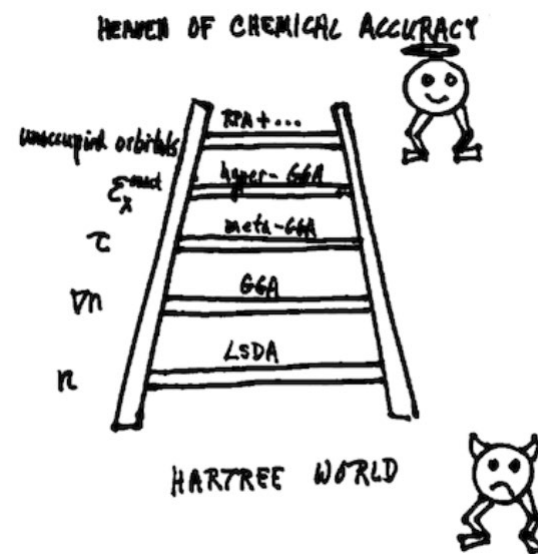
$$E[n] = \sum_i \int \psi_i^*(\mathbf{r}) \left(-\frac{1}{2} \nabla^2 \right) \psi_i(\mathbf{r}) d\mathbf{r} + E_{\text{ext}}[n] + E_{\text{Coul}}[n] + E_{xc}[n]$$

$$\int V_{\text{ext}}(\mathbf{r}) n(\mathbf{r}) d\mathbf{r}$$

$$\frac{1}{2} \int \int \frac{n(\mathbf{r}) n(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r} d\mathbf{r}'$$

A hierarchy of approximations for $E_{xc}[n]$ are available (“Jacob’s ladder”)

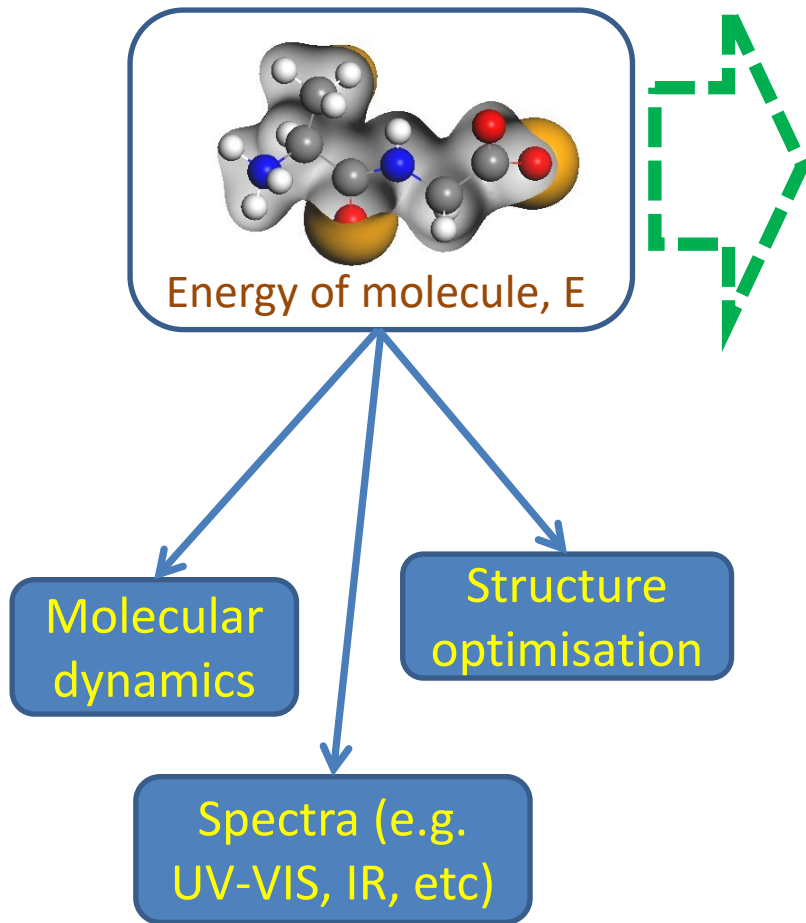
- Local density approximation (LDA): e.g. VWN or CAPZ correlation
- Generalised Gradient Approximations (GGA): e.g. BLYP, PW91, PBE
- Meta-GGAs: e.g. B95, B98, ISM, KCIS, PKZB, TPSS, VSXC
- Hybrid (including exact exchange): e.g. B3LYP, B1PW91, B1LYP, B1B95, mPW1PW91, PBE1PBE



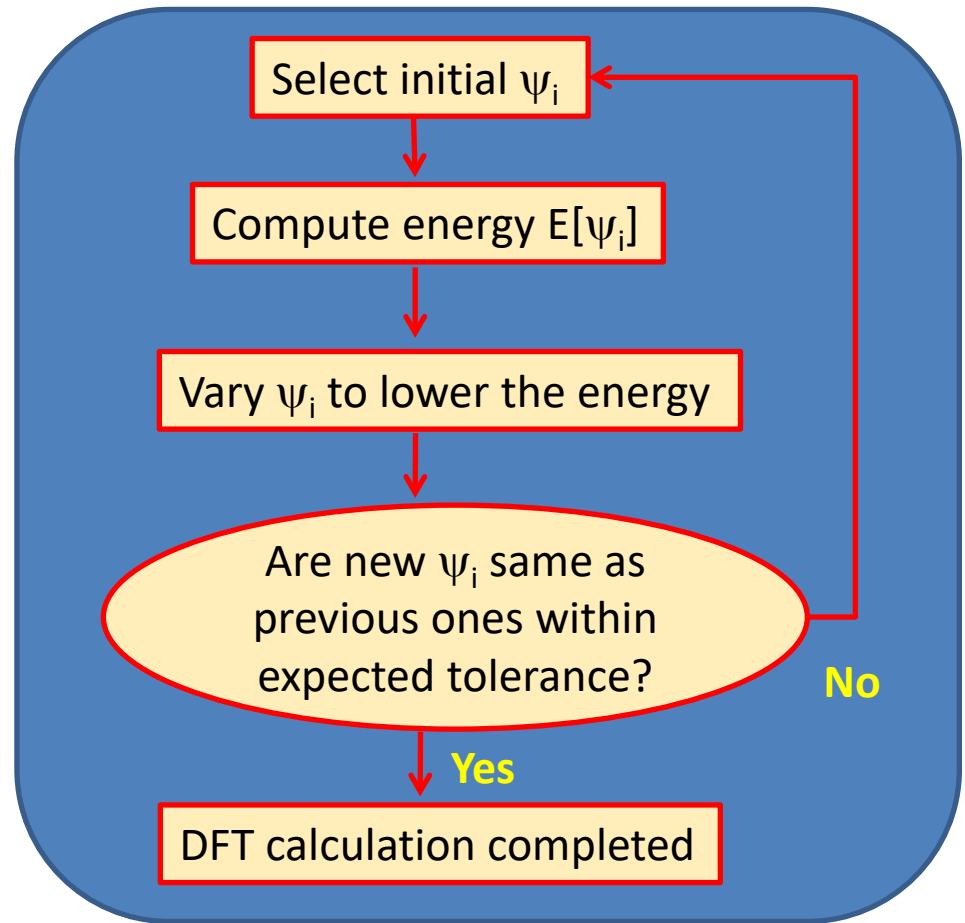
From Perdew, J. et. al. *J. Chem. Theory Comput.* **2009**, 5, 902.

DFT simulations

Molecular simulations



DFT energy of a molecule $E[\psi_i]$



Computational bottlenecks in DFT

Non-interacting electrons

$$\left[-\frac{\hbar^2}{2m} \nabla^2 + v_{\text{eff}}(\mathbf{r}) \right] \psi_i(\mathbf{r}) = \varepsilon_i \psi_i(\mathbf{r})$$



Density of interacting electrons

$$n(\mathbf{r}) = \sum_i |\psi_i(\mathbf{r})|^2$$

Minimise energy w.r.t.:

Molecular
Orbitals

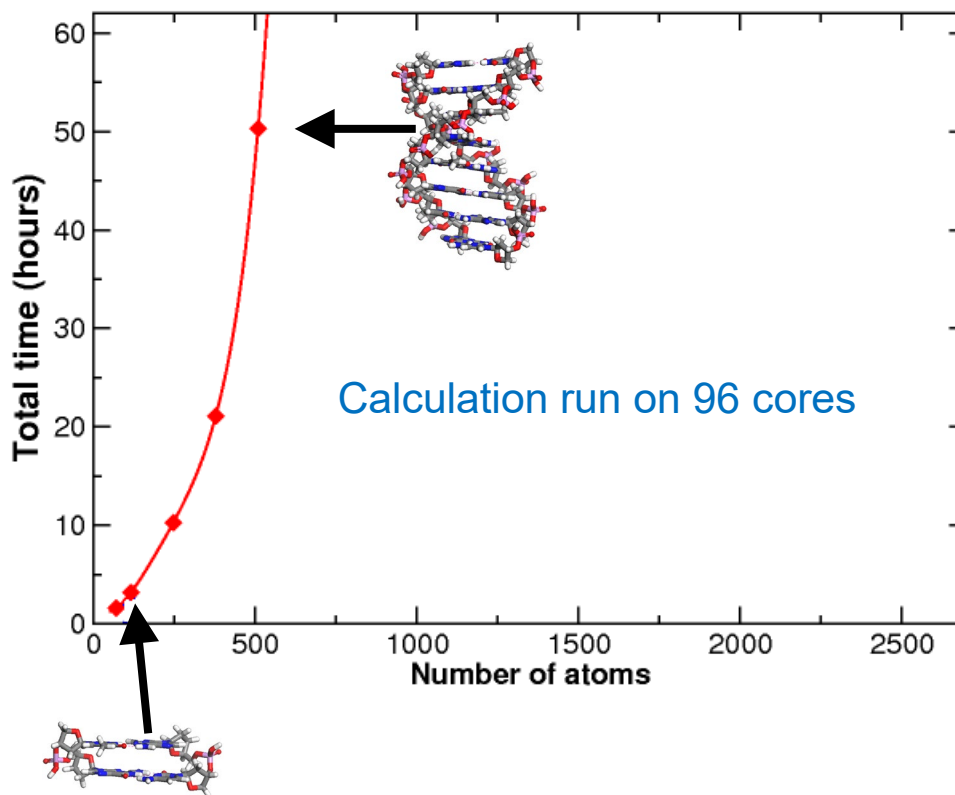
$$\{\psi_i\}$$



$O(N^3)$ Computational
bottlenecks

- Solving eigenvalue problem / imposing MO orthogonality $\langle \psi_i | \psi_j \rangle = \delta_{ij}$
- Building the Hamiltonian matrix

Computational cost of DFT: cubic-scaling



- Not suitable for biomolecules/nanostructures with **thousands of atoms**
- A **linear-scaling reformulation of DFT** is needed

Linear-scaling DFT

- Physical principle

Nearsightedness of electronic matter

W. Kohn, *Phys. Rev. Lett.* **76**, 3168 (1996)

In molecules with non-zero band gap, the density matrix decays exponentially

$$\rho(\mathbf{r}, \mathbf{r}') \sim e^{-\gamma|\mathbf{r}-\mathbf{r}'|} \rightarrow 0 \quad \text{as} \quad |\mathbf{r} - \mathbf{r}'| \rightarrow \infty$$

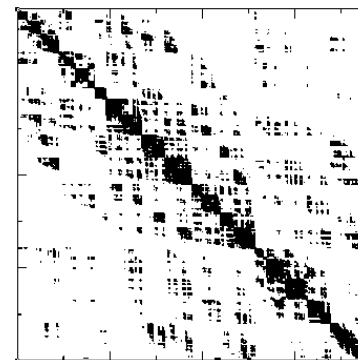
- Linear-scaling approaches

Truncate exponential “tail”

$$\rho(\mathbf{r}, \mathbf{r}') = 0 \quad \text{when} \quad |\mathbf{r} - \mathbf{r}'| > r_{\text{cut}}$$

- Practical implementation

- Localised orbitals
- No diagonalisation
- Energy minimisation
- Sparse matrices and algorithms – $O(N)$ memory and CPU cost



Density matrix DFT: energy expression

DFT energy with molecular orbitals

$$E_{\text{DFT}} = \sum_i f_i \int \psi_i^*(\mathbf{r}) \left(-\frac{1}{2} \nabla^2 \right) \psi_i(\mathbf{r}) d\mathbf{r} + \int V_{\text{ext}}(\mathbf{r}) n(\mathbf{r}) d\mathbf{r} + \frac{1}{2} \int \int \frac{n(\mathbf{r}) n(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r} d\mathbf{r}' + E_{xc}[n]$$

Density matrix

$$\rho(\mathbf{r}, \mathbf{r}') = \sum_n f_n \psi_n(\mathbf{r}) \psi_n^*(\mathbf{r}') = \sum_{\alpha, \beta} \phi_\alpha(\mathbf{r}) K^{\alpha\beta} \phi_\beta^*(\mathbf{r}')$$

Density

$$n(\mathbf{r}) = \rho(\mathbf{r}, \mathbf{r})$$

Molecular
orbitals

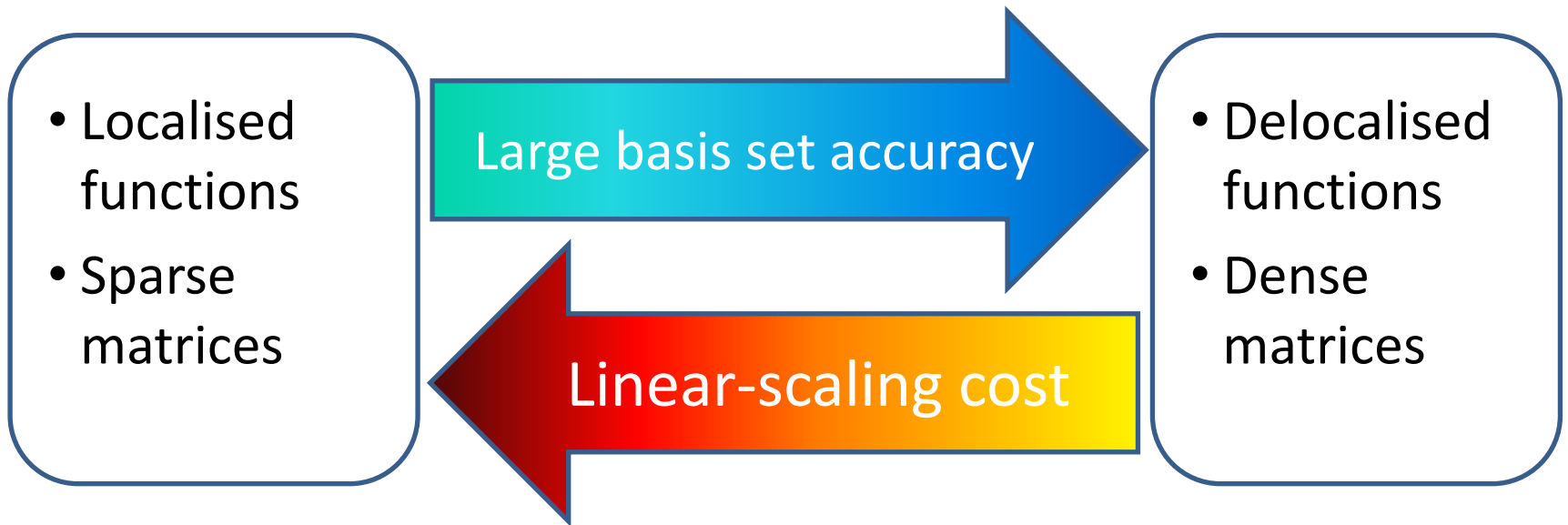
Localised
orbitals

DFT energy with density matrix

$$E_{\text{DFT}} = - \sum_{\alpha, \beta} K^{\alpha\beta} \int \phi_\beta^*(\mathbf{r}) \frac{1}{2} \nabla^2 \phi_\alpha(\mathbf{r}) d\mathbf{r} + \int V_{\text{ext}}(\mathbf{r}) n(\mathbf{r}) d\mathbf{r} + \frac{1}{2} \int \int \frac{n(\mathbf{r}) n(\mathbf{r}')}{|\mathbf{r} - \mathbf{r}'|} d\mathbf{r} d\mathbf{r}' + E_{xc}[n]$$

Linear-scaling DFT in practice

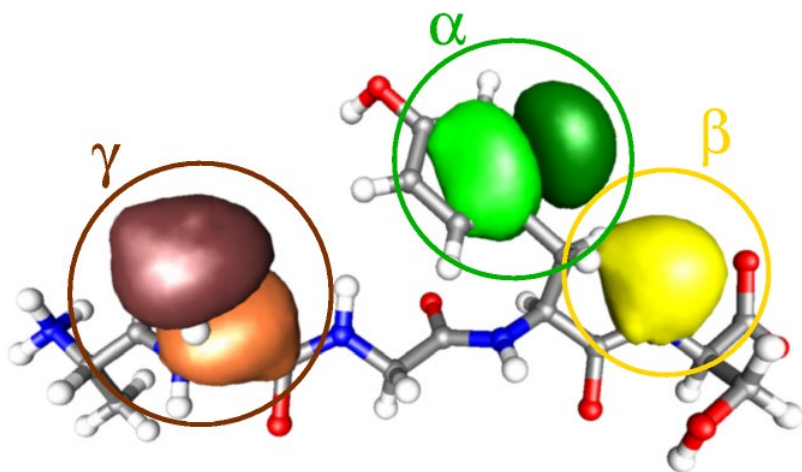
Conflicting requirements



How can we have linear-scaling cost with “cubic-scaling accuracy” ?

The ONETEP linear-scaling approach

- Use a minimal number of $\{\phi_\alpha\}$
- Optimise both \mathbf{K} and $\{\phi_\alpha\}$
- Aim is to have linear-scaling DFT with large basis set accuracy



$$\rho(\mathbf{r}, \mathbf{r}') = \sum_{\alpha\beta} \phi_\alpha(\mathbf{r}) K^{\alpha\beta} \phi_\beta(\mathbf{r}')$$

Non-orthogonal
Generalised
Wannier Functions
(NGWFs)

Density
kernel

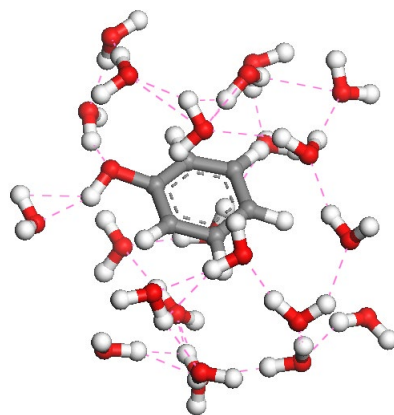
- NGWFs confined to spherical regions
- Density kernel \mathbf{K} sparse by truncation

C.-K. Skylaris, A. A. Mostofi, P. D. Haynes, O. Dieguez, M. C. Payne, *Phys. Rev. B* **66**, 035119 (2002).

C.-K. Skylaris, P. D. Haynes, A. A. Mostofi and M. C. Payne, *J. Chem. Phys.* **122**, 084119 (2005).

C.-K. Skylaris, P. D. Haynes, A. A. Mostofi and M. C. Payne, *Phys. Stat. Sol. (b)* **243**, 973 (2006).

Linear-scaling with near-complete basis set accuracy



Example: binding energy calculation

ONETEP linear-scaling DFT

NGWF radii (Å)	# NGWFs	BE (kcal/mol)
2.9	166	-11.93
3.2	166	-12.86
3.7	166	-8.25
4.2	166	-7.06
4.8	166	-7.04

Cubic-scaling DFT

Basis set	# AOs	BE + BSSE (kcal/mol)
3-21G	361	-12.55
6-31G*	535	-8.95
6-311++G**	1017	-7.39
cc-pVTZ	1765	-7.04

C.-K. Skylaris, O. Dieguez, P. D. Haynes and M. C. Payne, *Phys. Rev. B* **66**, 073103 (2002).

P. D. Haynes, C.-K. Skylaris, A. A. Mostofi and M. C. Payne, *Chem. Phys. Lett.* **422** 345 (2006).

Psinc basis set

- Real linear combinations of plane waves
- Highly localised
- Orthogonal

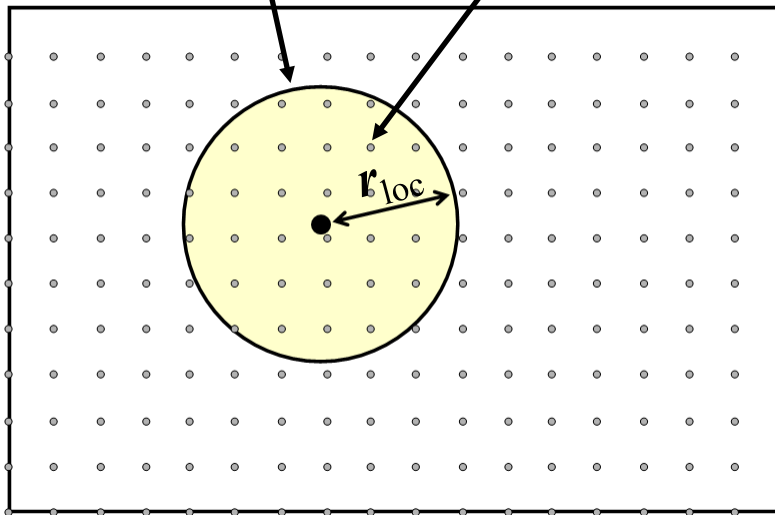
$$D_j(\mathbf{r}) = \frac{1}{N} \sum_{\mathbf{G}}^{\mathbf{G}_{\max}} e^{i\mathbf{G}\cdot(\mathbf{r}-\mathbf{r}_j)}$$

$$\phi_\alpha(\mathbf{r}) = \sum_{i \in \text{LR}_\alpha} D_i(\mathbf{r}) C_{i,\alpha}$$

NGWF localisation

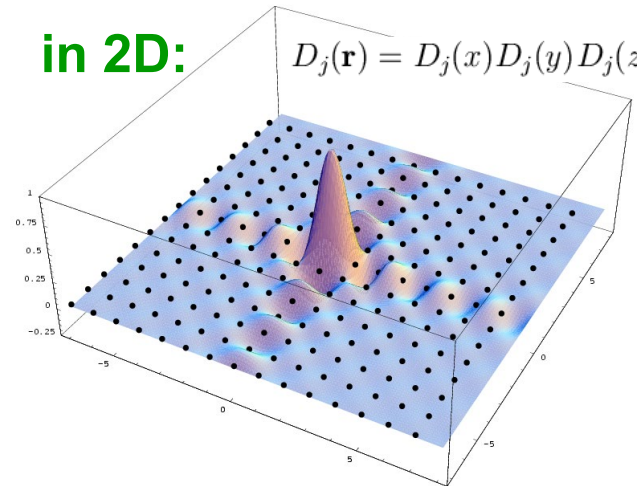
sphere

\mathbf{r}_i centre of $D_i(\mathbf{r})$



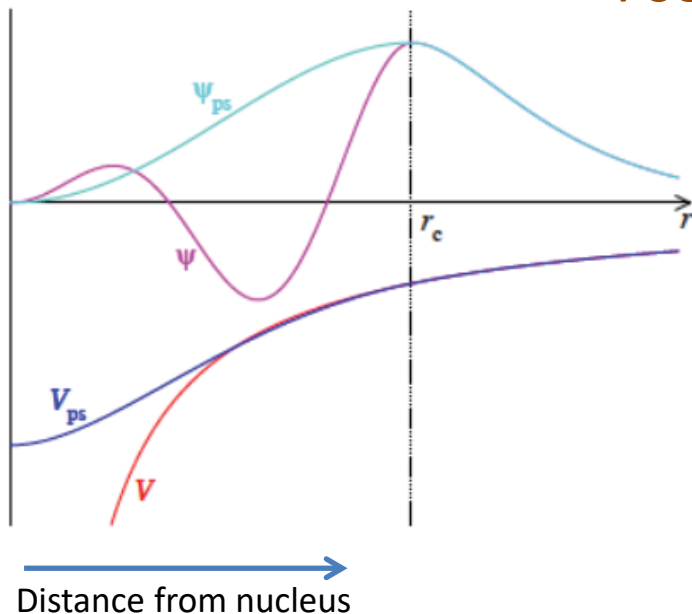
in 2D:

$$D_j(\mathbf{r}) = D_j(x)D_j(y)D_j(z)$$



- A. A. Mostofi, P. D. Haynes, C.-K. Skylaris and M. C. Payne, *J. Chem. Phys.* **119**, 8842 (2003)
- D. Baye and P. H. Heenen, *J. Phys. A: Math. Gen.* **19**, 2041 (1986)

Pseudopotentials

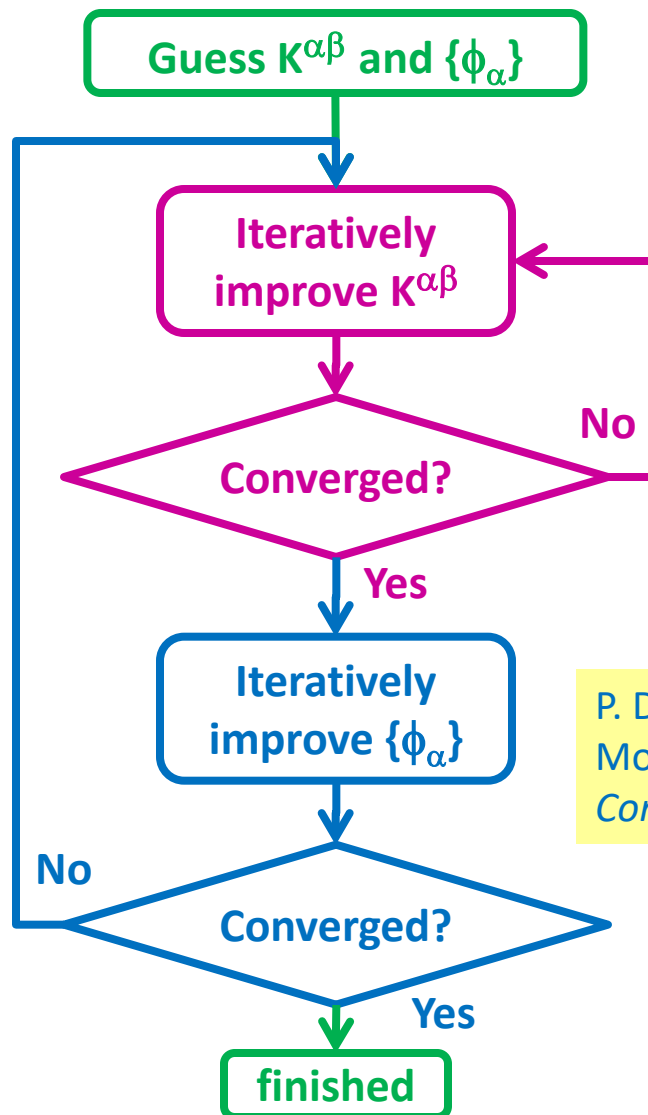


- Replace the strong Coulomb nuclear potential V by a much weaker *pseudopotential* V_{ps} which mimics the effect of the core electrons
 - Only keep the valence electrons, in smooth valence wave functions Ψ_{ps} without oscillations in the core region
 - Eliminating the $1/r$ singularity at the nucleus and the rapid oscillations of the valence wavefunctions near it make it possible to use a plane wave basis set and converge with a reasonable kinetic energy cut-off
 - Even hydrogen atoms (obviously, no core electrons) have pseudopotentials in plane wave calculations!
-
- Beyond the core radius r_c , the V_{ps} and Ψ_{ps} match the all-electron calculation
 - Determining r_c , as well as which electrons to remove as “core” and which to keep as “valence” is an art and requires experience
 - Small r_c leads to “hard” pseudopotentials which are more transferable but require more plane waves (higher E_{max}) and therefore more computational effort
 - There are several recipes for generating pseudopotentials and libraries of these are publicly available, see for example <http://opium.sourceforge.net/> and <http://www.sas.upenn.edu/rappegroup/research/pseudo-potential-gga.html>
 - Before selecting a pseudopotential it is crucial to test it thoroughly, ideally against all-electron calculations

Energy optimisation in ONETEP

$$E = E[\mathbf{K}, \{\phi_\alpha\}]$$

- **Outer loop:** Optimise total (interacting) energy E w.r.t. to \mathbf{K} and $\{\phi_\alpha\}$

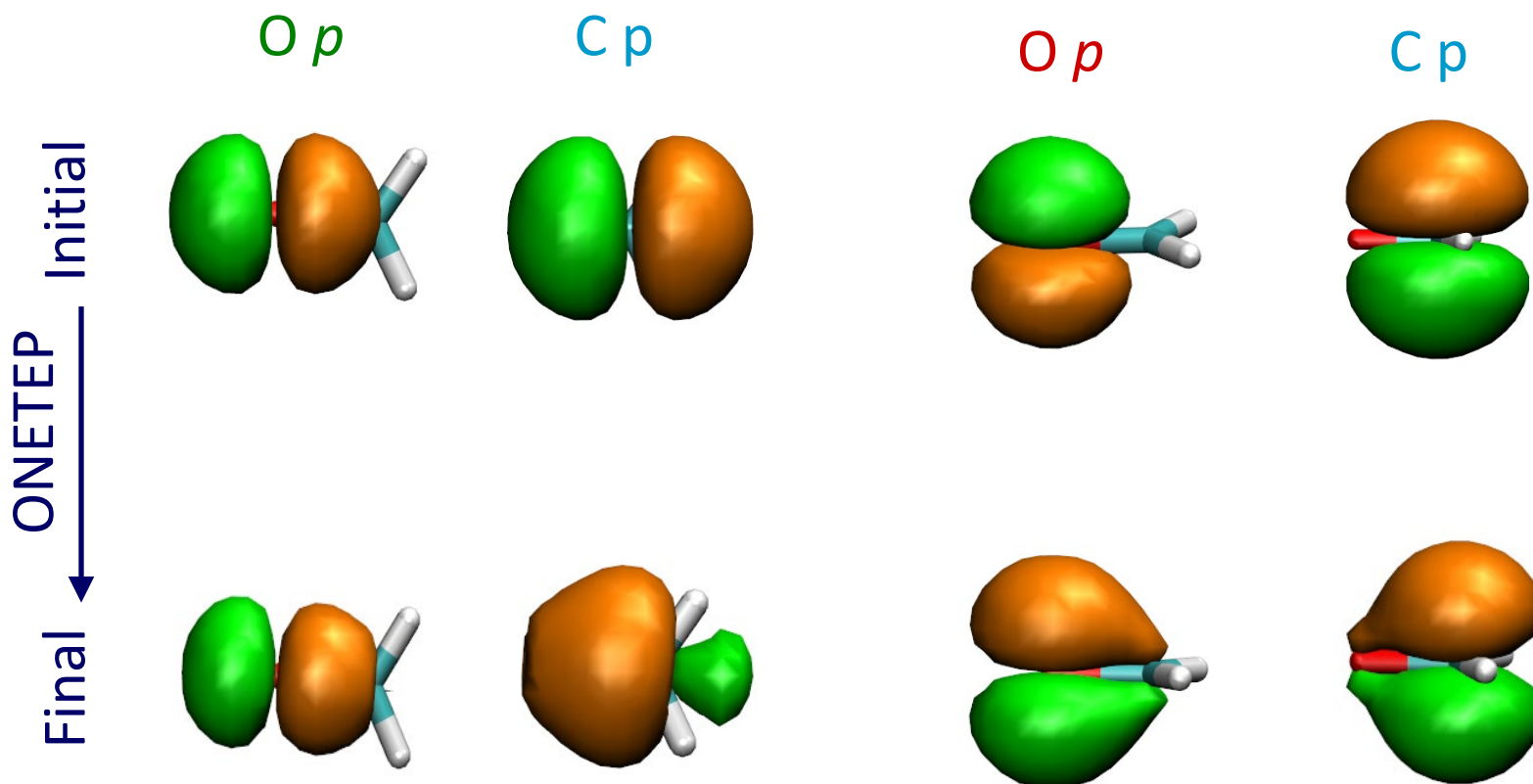
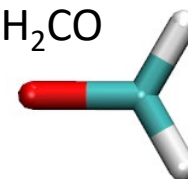


- **Inner loop:** Optimise total (interacting) energy E w.r.t \mathbf{K} for fixed $\{\phi_\alpha\}$ while imposing **idempotency** and **normalisation**

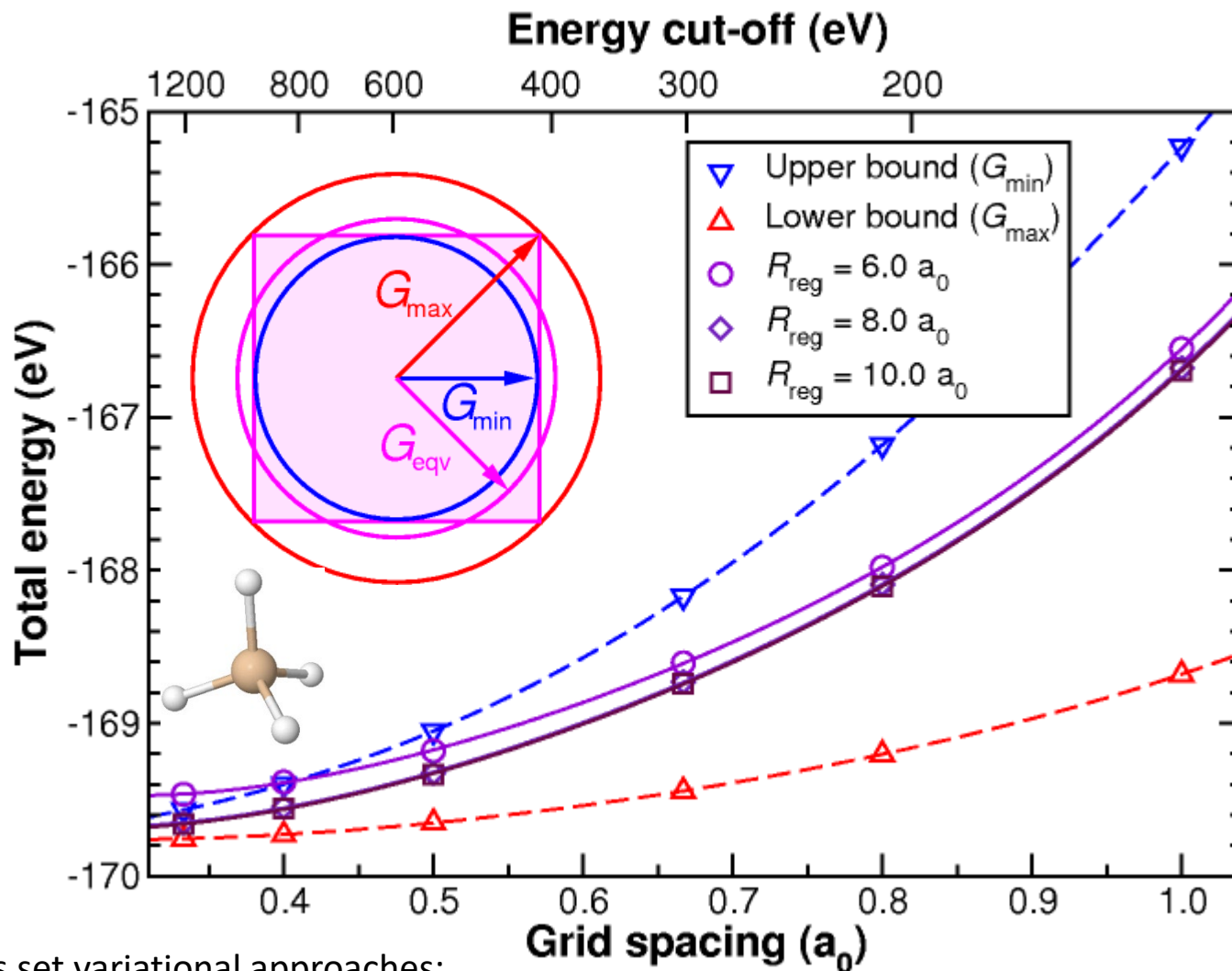
P. D. Haynes, C.-K. Skylaris, A. A. Mostofi and M. C. Payne, *J. Phys. Condens. Matter* **20**, 294207 (2008)

NGWF optimisation

formaldehyde, H_2CO



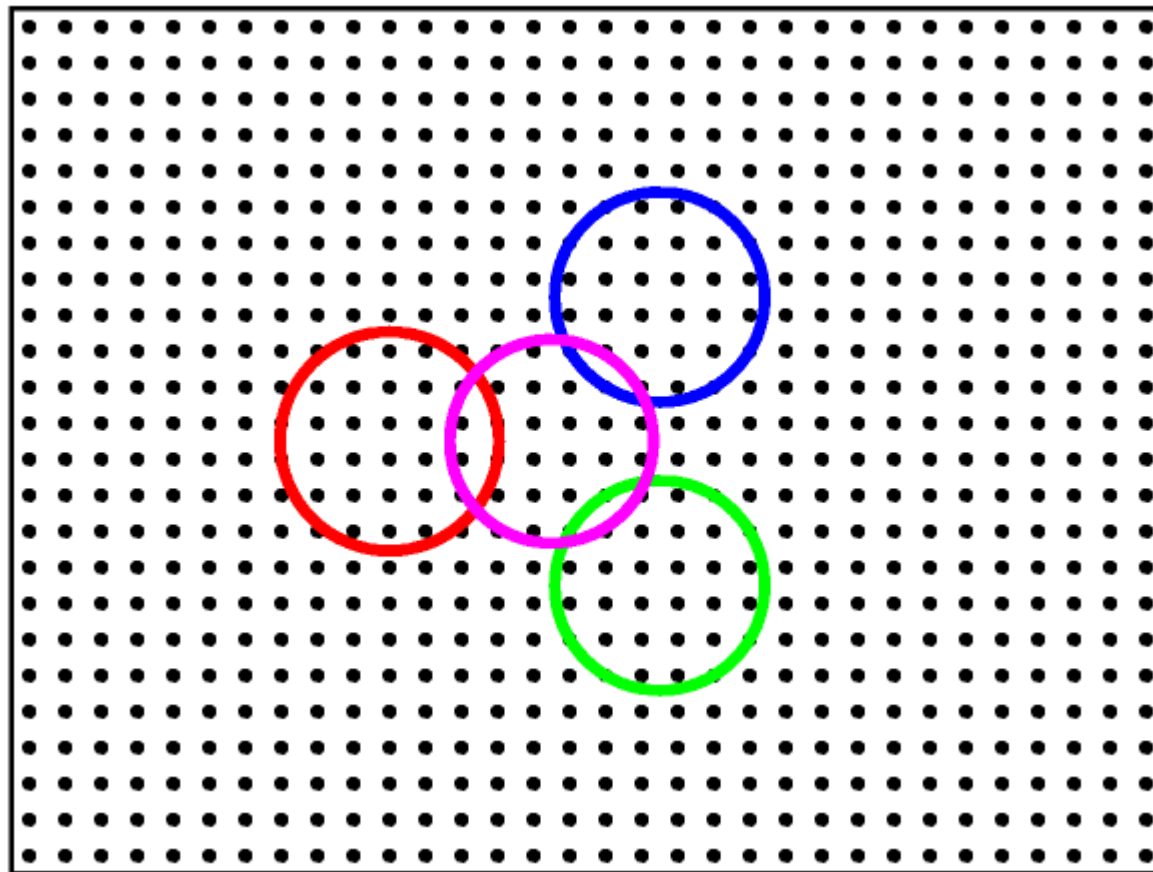
Psinc basis energy cut-off



Basis set variational approaches:

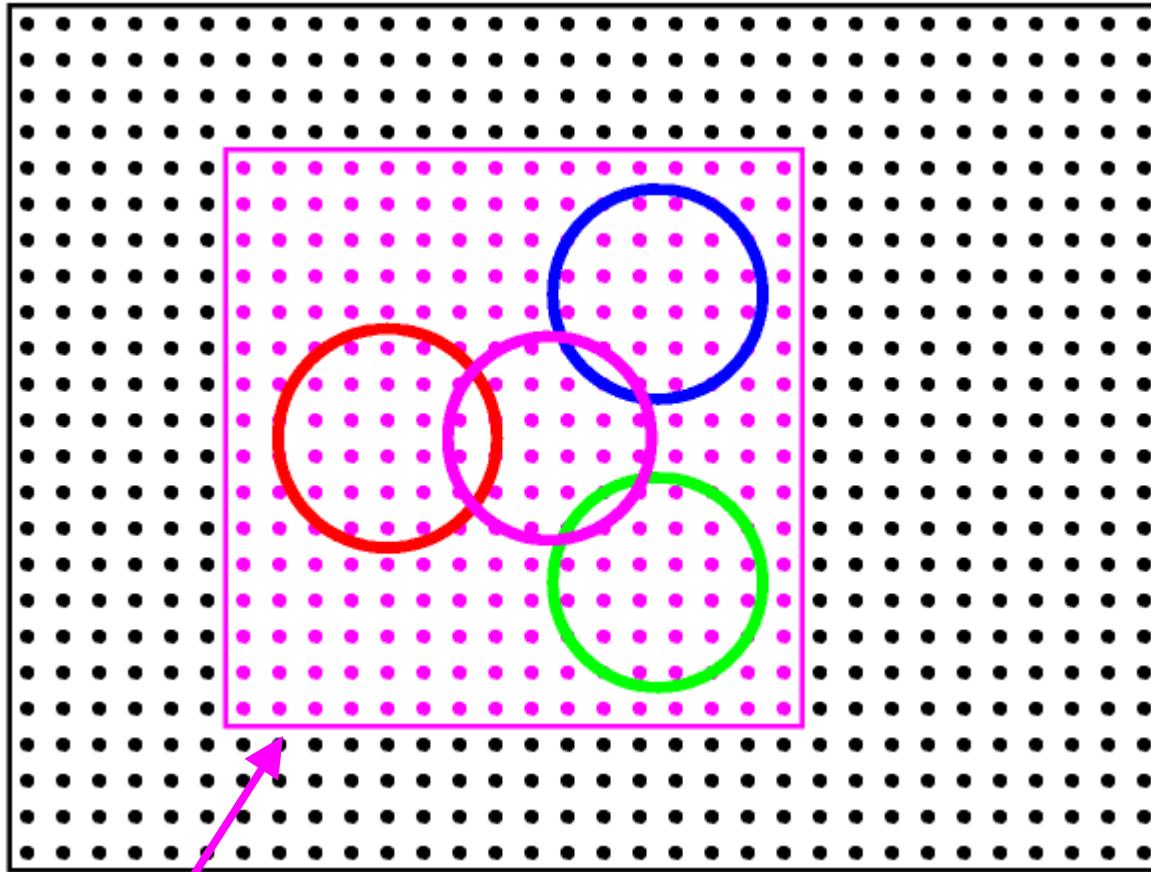
C.-K. Skylaris, O. Dieguez, P. Haynes and M. C. Payne, *Phys. Rev. B* **66**, 073103 (2002).

FFT box technique



simulation cell

FFT box technique



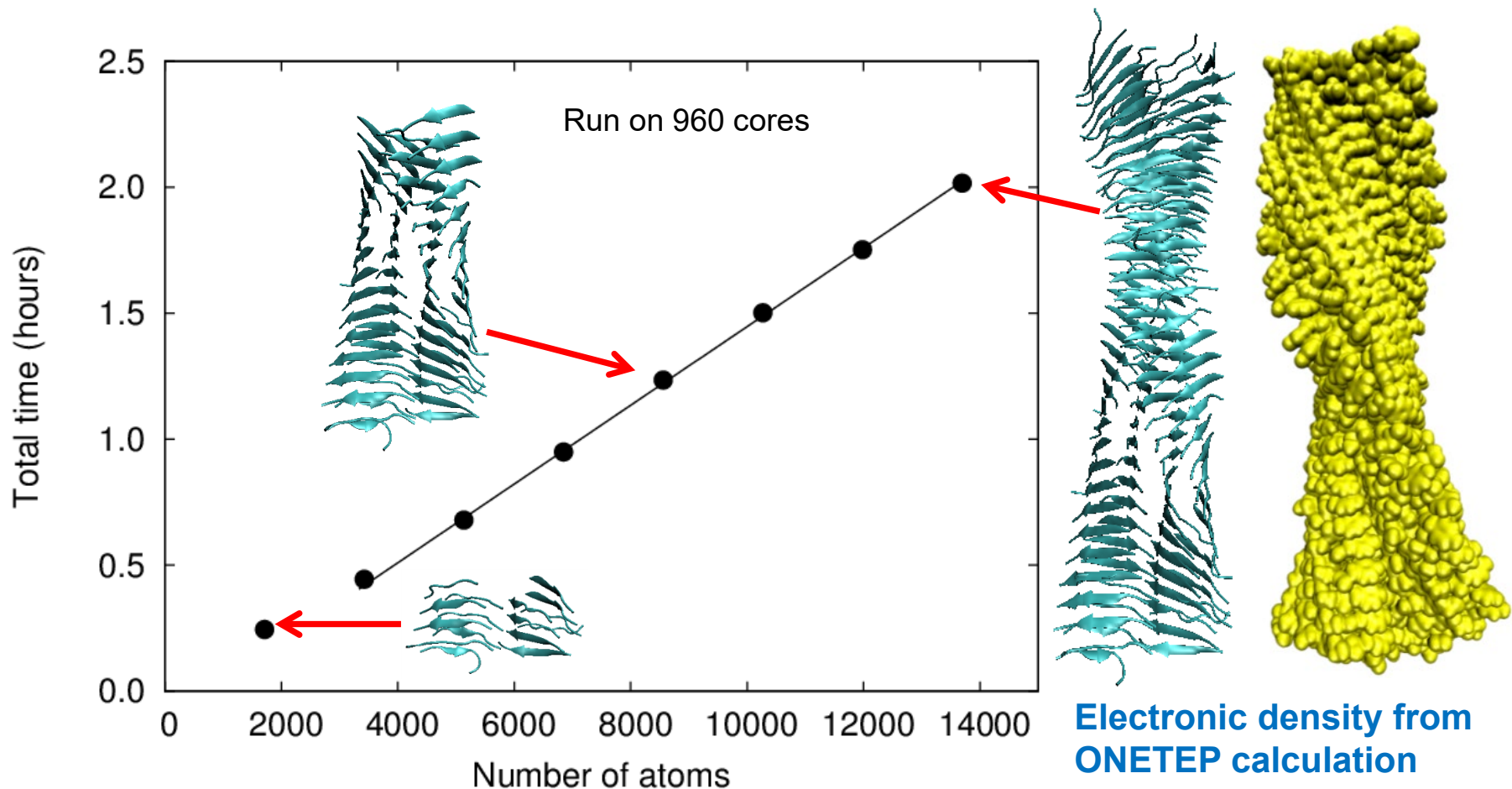
FFT box

C.-K. Skylaris, A. A. Mostofi, P. D. Haynes, C. J. Pickard & M. C. Payne, *Comp. Phys. Comm.* **140**, 315 (2001)

A. A. Mostofi, C.-K. Skylaris, P. D. Haynes & M. C. Payne, *Comp. Phys. Comm.* **147**, 788 (2002)

Linear-scaling with the number of atoms

Example: ONETEP calculations on amyloid fibril proteins

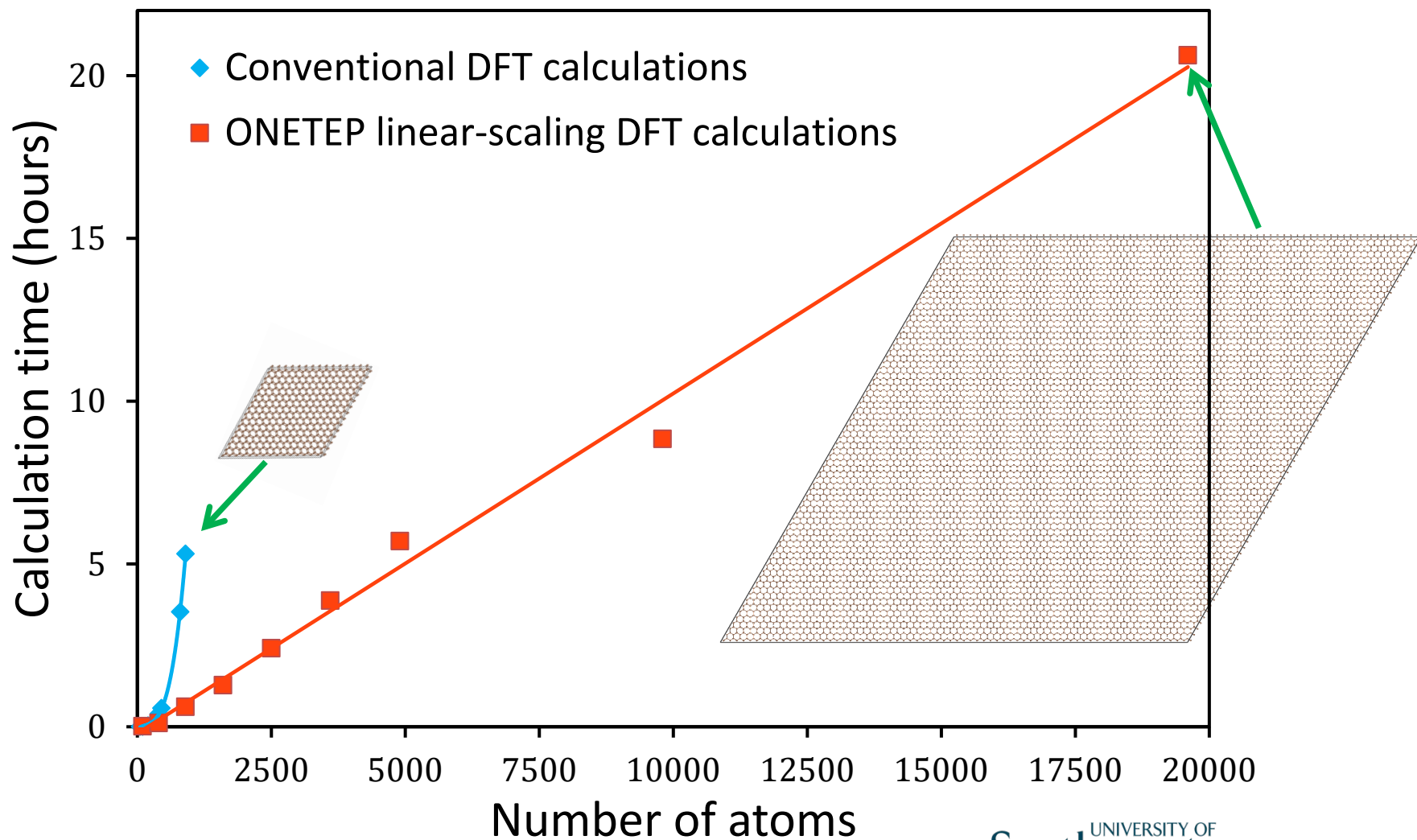


Structures of the amyloid fibril kindly provided by the authors of
J. T. Berryman, S. E. Radford and S. A. Harris, Biophysical Journal, 97 1 (2009)

Linear-scaling with the number of atoms

Example: ONETEP calculations on graphite segments

Calculations run on 160 2.0 GHz Intel Skylake cores (4 nodes, with 2x20 cores per node) with 192 GB per node



Compiling ONETEP

Simple multi-platform build system, needs:

- Fortran 2003/2008 compiler
- BLAS and LAPACK (or SCALAPACK) numerical libraries
- FFT library: vendor-supplied or FFTw
 - www.fftw.org
- MPI library for parallel version
- OpenMP

Running ONETEP

- Parallel computer
 - Minimum 1 GB per processor (core)
 - Typically distribute 10-100 atoms per processor
 - Cross-over >100 atoms
- Prepare input file: free format
 - Documentation at www.onetep.org
- Supply pseudopotential files (**.recpot** format)
- We suggest that instead of running ONETEP directly, you run the **onetep_launcher** script which sets up correctly the runtime environment and does important checks

Input file

- Keywords of different types:
 - Integer
 - Boolean
 - String
 - Real
 - Physical (real + unit)
 - Block data e.g. atomic positions, delimited by **%block** and **%endblock**
- Atomic units by default (hartree and bohr)

Example input file: formaldehyde

```
! Example input file for the ONETEP program
! Formaldehyde molecule
```

```
cutoff_energy 600 eV
```

```
%block lattice_cart
  48.00    0.00    0.00
   0.00   48.00    0.00
   0.00    0.00   48.00
```

```
%endblock lattice_cart
```

```
%block positions_abs
```

```
O    24.887507   23.896975   22.647313
C    27.731659   23.667449   22.643306
H    28.655157   21.721170   22.637547
H    28.955467   25.440371   22.646039
```

```
%endblock positions_abs
```

```
%block species
```

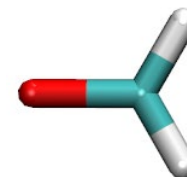
```
O    O    8    4    6.5
C    C    6    4    6.5
H    H    1    1    6.5
```

```
%endblock species
```

```
%block species_pot
```

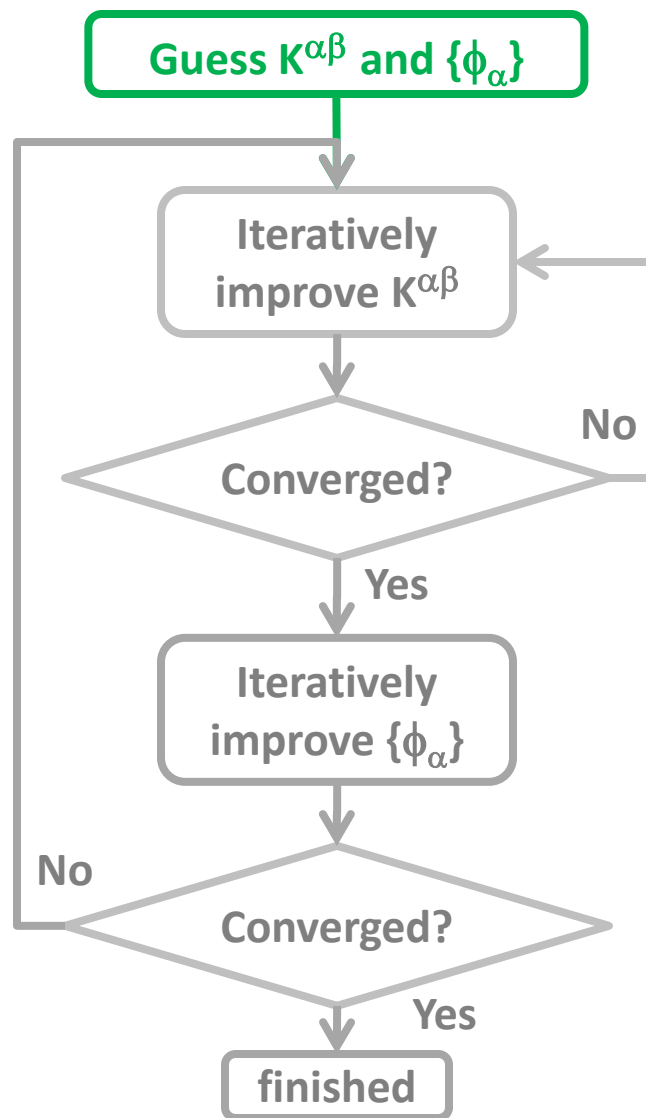
```
O    oxygen.recpot
C    carbon.recpot
H    hydrogen.recpot
```

```
%endblock species_pot
```



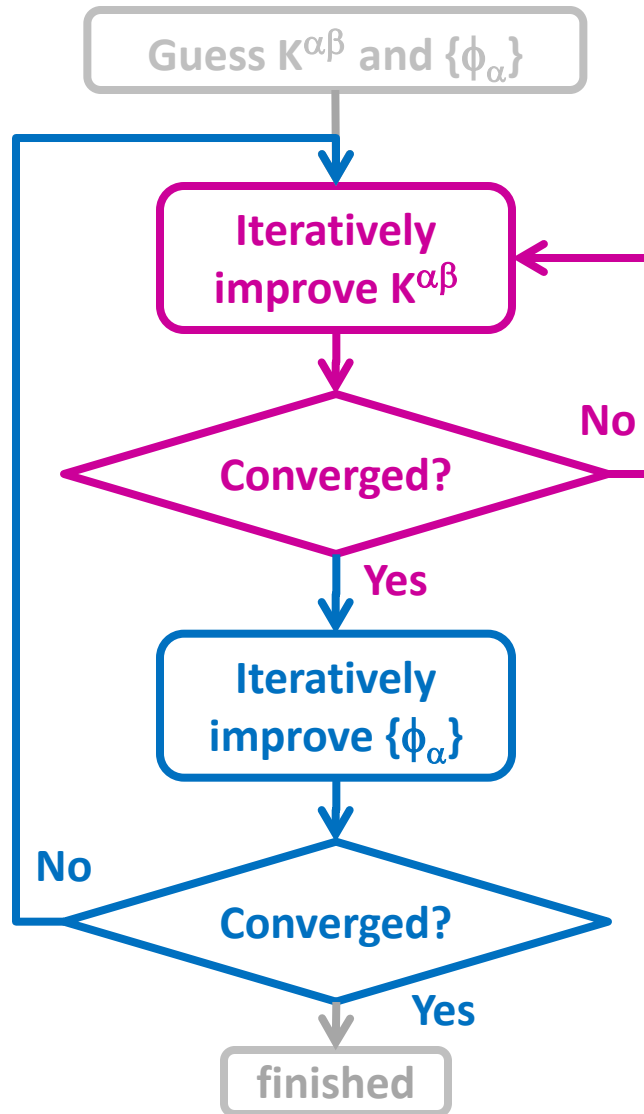
ONETEP calculation outline

- Initialisation phase:
 - Construct initial NGWFs (STOs or PAOs)
 - Construct initial charge density (atomic superposition) and effective potential
 - Construct initial Hamiltonian
 - Obtain initial density kernel using iterative approach



ONETEP calculation outline continued

- Main optimisation phase:
 - Combination of nested self-consistent loops
 - Outer loop optimises the NGWFs (density kernel fixed)
 - Inner loop optimises the density kernel (NGWFs fixed) using Density Matrix Minimisation approaches



Example output file: formaldehyde

```
##### # # ##### ##### ##### #####  
# # ## # # # # # # #  
# # # # # # # # # #  
# # # # ##### # ##### #####  
# # # # # # # # #  
# # # ## # # # #  
##### # # ##### # ##### #  
  
Linear-Scaling Ab Initio Total Energy Program  
  
Release for academic collaborators of ODG  
Version 7.3.2  
Remote: https://github.com/cksdaddy/onetep_cks.git  
Local branch: master  
Commit ID: b4c6aa44c0d7f1571eb406a78225d0ff2140eea1  
Date: Fri Aug 23 10:21:36 2024 +0100  
Working tree clean  
  
-----  
Authors:  
Jacek Dziedzic, Peter D. Haynes, Nicholas D. M. Hine,  
Arash A. Mostofi, Mike C. Payne and Chris-Kriton Skylaris  
  
Contributors:  
J. Aarons, L. Andrinopoulos, P. W. Avraam, R. A. Bell,  
A. Bhandari, G. A. Bramley, R. J. Charlton, S. J. Clark,  
R. J. Clements, G. C. Constantinescu, F. Corsetti,  
N. Corsini, O. Dieguez, S. M. M. Dubois, K. K. B. Duff,  
J. M. Escartin, M. Escobar Azor, A. Greco,  
H. Helal, Q. O. Hill, L. P. Lee, J.-H. Li,  
T. Li, E. B. Linscott, G. Moynihan, D. D. O`Regan,  
O. K. Okan, E. Parkinson, M. J. S. Phipps,  
C. J. Pickard, J. C. A. Prentice, M. I. J. Probert,  
L. E. Ratcliff, M. Robinson, A. Ruiz Serrano,  
M. dos Santos Dias, J. S. Spencer, E. W. Tait,  
G. Teobaldi, D. Turban, V. Vitale, K. A. Wilkinson,  
C. Weber, J. C. Womack, Chengcheng Xiao, N. Yeung,  
and T. J. Zuehlsdorff.  
  
Copyright (c) 2004-2024
```

- Parallel strategy, calculation parameters

```
Job started: 28-08-2024 16:49 (+0100)

Reading parameters from file "h2co_2-threads.dat" ..... done

If your calculation crashes here, before "Checking processes and threads..."
is displayed, then your stack size is insufficient.
If so, use "ulimit -s unlimited" at runtime.
You can disable this check with "check_stack_size F".

Checking processes and threads...
  Default threads: 2
  Running with 2 MPI processes.
  There are 2 MPI processes running on the same node as the root process.
  Each MPI process is using:
    2 threads for simulation cell FFTs.
    2 threads for threaded FFT box operations.
    2 threads for loops over batched FFT box operations.
    2 threads in other parallel regions.
  MPI Interface: S1 (use mpi_f08) (-DMPI -DUSE_MPI_F08).
  MPI_ASYNC_PROTECTS_NONBLOCKING: Yes. MPI_SUBARRAYS_SUPPORTED: Yes.
  FFTW Interface: OMP-capable and MODERN. (-DUSE_MODERN_FFTW specified).
  GPU Interface: None.
  GPU FFT Backend: None.
... done

Basic input checks..... done

Reading geometry and species blocks from file "h2co_2-threads.dat" ...
  <species_atomic_set> block not found: NGWF initialisation set to SOLVE
... done

-----
----- INPUT FILE -----
-----
```

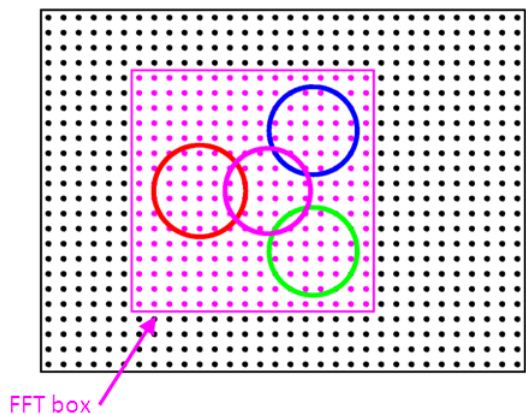
Input file parameters for
OMP threads

```
threads_max 2
threads_per_fftbox 2
threads_num_fftboxes 2
threads_per_cellfft 2
```

Example output file: formaldehyde

```
----- Atom counting information -----  
Symbol      Natoms      Nngwfs      Nprojs  
O            1            4            1  
C            1            4            1  
H            2            2            0  
.....  
Totals:      4            10           2  
-----
```

```
===== PSINC grid sizes =====  
Simulation cell:  84 x  84 x  84  
FFT-box:         75 x  75 x  75  
PPD:             6 x   6 x   1  
Grid space d1=  0.571428571429a0 (KE cutoff= 23.26377Eh = 633.03940eV)  
Grid space d2=  0.571428571429a0 (KE cutoff= 23.26377Eh = 633.03940eV)  
Grid space d3=  0.571428571429a0 (KE cutoff= 23.26377Eh = 633.03940eV)  
=====
```



- Simulation cell, FFT box, grid spacing

Example output file: formaldehyde

- NGWF initialisation to pseudo-atomic orbitals (PAOs)

```
Atom SCF Calculation for O : Z (AE atom) = 8 : Z (PS atom) = 6
Config String:
Orbitals (num,occ): 2      2.00 4.00
Orbitals (num,l): 2      0      1
Atom SCF converged after 33 iterations to a total energy of -15.71589674
```

```
Atom SCF Calculation for C : Z (AE atom) = 6 : Z (PS atom) = 4
Config String:
Orbitals (num,occ): 2      2.00 2.00
Orbitals (num,l): 2      0      1
Atom SCF converged after 33 iterations to a total energy of -5.33577996
```

```
Atom SCF Calculation for H : Z (AE atom) = 1 : Z (PS atom) = 1
Config String:
Orbitals (num,occ): 1      1.00
Orbitals (num,l): 1      0
Atom SCF converged after 30 iterations to a total energy of -0.43623914
NGWF initialisation ..... done
```

Example output file: formaldehyde

- Initialise and refine density kernel

```
Density kernel initialisation
```

```
Writing density kernel to file "h2co_2-threads.dkn" ... done
```

```
>>> Optimising kernel for current NGWFs:
```

iter	energy (Eh)	rms gradient	commutator	dE (Eh)
1	-2.230601586111E+01	5.3808E-02	4.4840E-02	
2	-2.233073648394E+01	3.8281E-02	3.1901E-02	-2.4721E-02
3	-2.235530086009E+01	1.1889E-02	9.9074E-03	-2.4564E-02
4	-2.235864046835E+01	6.8691E-03	5.7242E-03	-3.3396E-03
5	-2.235945547230E+01	3.9727E-03	3.3106E-03	-8.1500E-04

```
Finished density kernel iterations ( 5)
```

```
Writing density kernel to file "h2co_2-threads.dkn" ... done
```

```
>>> Density kernel optimised for the current NGWF basis:
```

```
~~~~~  
Total energy           = -2.23594554723023E+01 Eh  
Estimated bandgap      = 5.4645E-02 Eh  
RMS occupancy error    = 5.0213E-13  
[H,K] commutator       = 3.3106E-03  
Occupancy bounds       = [ 0.000: 1.000]  
~~~~~
```

Example output file: formaldehyde

- SCF iterations

```

#####
##### NGWF CG iteration 003 #####
#####

>>> Checking for convergence of NGWFs:  NOT CONVERGED
=====
NGWF RMS gradient = 5.2368E-04 > 2.0000E-06 | above tolerance
=====

>>> Improving NGWFs using line search:
=====
Predicted total energy   =    -2.26058828338753E+01 Eh
Predicted gain in energy =    -6.90722410908862E-03 Eh
=====

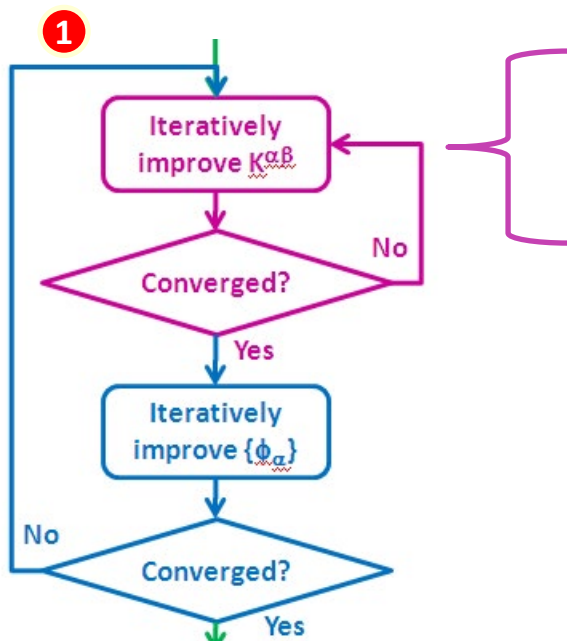
Writing NGWFs to file "h2co.tightbox_ngwfs"... done

>>> Optimising kernel for current NGWFs:
iter | energy (Eh) | rms gradient | commutator | dE (Eh)
  1  | -2.260585039399E+01 | 4.3060E-03 | 3.5884E-03 |
  2  | -2.260614202529E+01 | 8.8690E-04 | 7.3908E-04 | -2.9163E-04
  3  | -2.260616377801E+01 | 2.2375E-04 | 1.8646E-04 | -2.1753E-05
  4  | -2.260616700389E+01 | 5.2027E-05 | 4.3355E-05 | -3.2259E-06
  5  | -2.260616709879E+01 | 1.7239E-05 | 1.4365E-05 | -9.4900E-08
Finished density kernel iterations ( 5)

Writing density kernel to file "h2co.dkn" ... done

>>> Density kernel optimised for the current NGWF basis:
~~~~~
Total energy           = -2.26061670987944E+01 Eh
Estimated bandgap      = 7.1917E-02 Eh
RMS occupancy error    = 8.2047E-14
[H,K] commutator       = 1.4365E-05
Occupancy bounds       = [ 0.000: 1.000]
~~~~~

#####
##### NGWF CG iteration 004 #####
#####
    
```



Example output file: formaldehyde

- End of SCF calculation

```
>>> Checking for convergence of NGWFs:
```

```
.....  
|           *** NGWF optimisation converged ***  
| RMS NGWF gradient =      0.00000126859037  
| Criteria satisfied:  
| -> RMS NGWF gradient lower than set threshold.  
|  
=====
```

```
----- ENERGY COMPONENTS (Eh) -----  
| Kinetic                :      14.91662617378243 |  
| Pseudopotential (local) :     -75.55456217635727 |  
| Pseudo (non-coul chg cor) :      0.000000000000000 |  
| Pseudopotential (non-local):    3.08867294295494 |  
| Hartree                :      29.55304105253625 |  
| Exchange-correlation   :     -5.51703677662856 |  
| Ewald                  :      10.90369328705708 |  
| Total                  :     -22.60956549665512 |  
-----
```

```
Integrated density      :      11.99999999999952  
=====
```

<<<< CALCULATION SUMMARY >>>>

ITER	RMS GRADIENT	TOTAL ENERGY	step	Epredicted
0	0.00339284991963	-22.35945547230235	0.578496	-22.56473206956660
1	0.00109819484620	-22.56842090396639	0.774264	-22.59768874673046
2	0.00052368029255	-22.59897560976540	0.779737	-22.60588283387591
3	0.00030645887461	-22.60616709879383	0.778478	-22.60852120360475
4	0.00017075786505	-22.60861681158946	0.618320	-22.60917256889631
5	0.00010955112044	-22.60917385344203	0.827718	-22.60948077698768
6	0.00006504197723	-22.60948592159203	0.577777	-22.60956236994308
7	0.00000603288450	-22.60956529599250	-0.003358	-22.60956529222493
8	0.00000662327390	-22.60956547323060	0.099060	-22.60956549599422
9	0.00000126859037	-22.60956549665513	<-- CG	

Summary of Functionality

Total energies

- Different exchange-correlation functionals:
 - LDA (Ceperley-Alder-Perdew-Zunger, Vosko-Wilk-Nusair, PW92)
 - GGA (PW91, PBE, revPBE, RPBE, BLYP, XLYP, WC)
 - Non-local exchange-correlation functionals for dispersion (e.g. Langreth and Lundqvist, VV10)
 - Meta-GGAs, e.g. PKZB, B97m-v
 - Hartree-Fock exchange and hybrid functionals, B3LYP, PBE0
- Spin polarisation
- DFT+D (empirical dispersion)
- DFT+U
- Charge-constrained DFT
- Finite temperature DFT for metallic systems (Ensemble DFT, AQUA-FOE)
- Embedding (e.g. mGGA in LDA), using EMFT
- DFTB (GFN0 available, GFN1 and GFN2 to follow)

Summary of Functionality

Excited states

- Conduction NGWFs
- LR-TDDFT
- LR-TDDFT with the Tamm-Dancoff approximation (TDA)

Boundary conditions and embedding

- Periodic boundary conditions
- Open boundary conditions (Cut-off Coulomb, Martyna-Tuckerman or real-space open boundaries)
- Solvent and electrolyte models
- Electrostatic embedding

Core electrons

- Norm conserving pseudopotentials
- Projector Augmented wave (PAW) approach (all electron)

Summary of Functionality

Atomic forces and stresses

- Geometry optimisation
- Transition state search
- *Ab initio* molecular dynamics
- Simulation cell relaxation

Visualisation

- NGWFs
- Molecular Orbitals
- Density and potentials
- Electron Localisation Function (ELF)

Atomic orbital basis set option

- Instead of NGWFs construct and use SZ, SZP, DZ, DZP, etc atomic orbital basis sets

Summary of Functionality

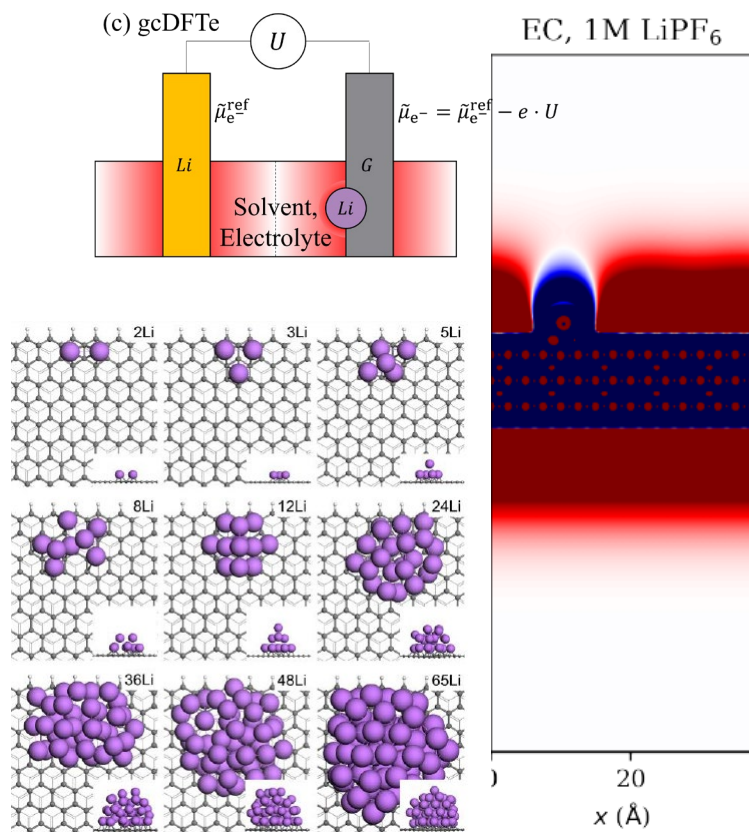
Electronic properties

- Density of states (DOS), local DOS, projected DOS
- Atomic charges (Mulliken, IH, Density derived electrostatic and chemical (DDEC))
- Dipoles and higher moments
- Optimisation of separate NGWF set for accurate conduction bands and optical absorption spectra
- Natural Bond Orbital (NBO) analysis
- Energy Decomposition Analysis (EDA)
- Electron transport
- Distributed multipole analysis

Interface to ASE

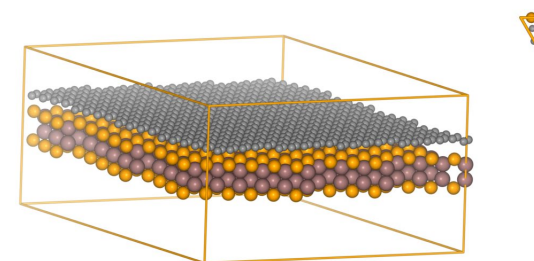
GPU port under development

Simulations in electrolyte and voltage to predict degradation mechanisms in Li-ion batteries

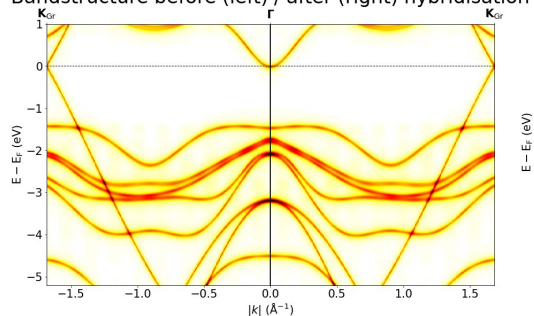


J. Mater. Chem. A **10** 11426 (2022)

2-D heterostructures with “exotic” electronic and mechanical properties



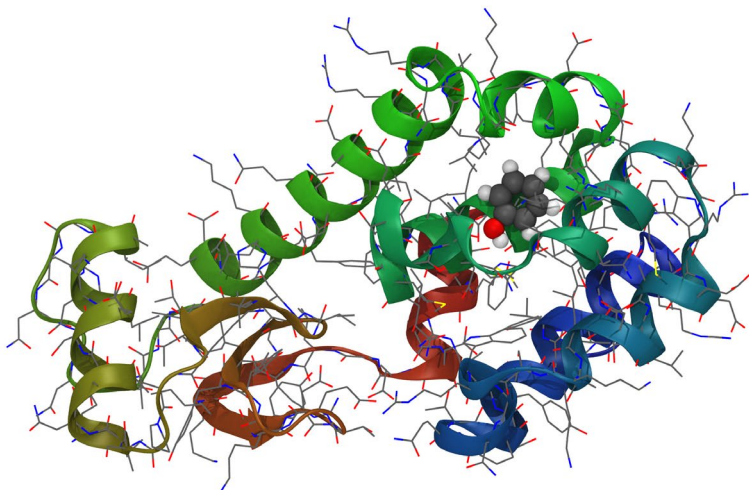
InSe / Graphene Heterostructure model: calculated Bandstructure before (left) / after (right) hybridisation



ONETEP was required as the cell necessary to keep the strain low for a misaligned heterostructure is very large.

2D Mater. **8** 015016 (2020)

Drug design from quantum mechanical calculations on entire proteins

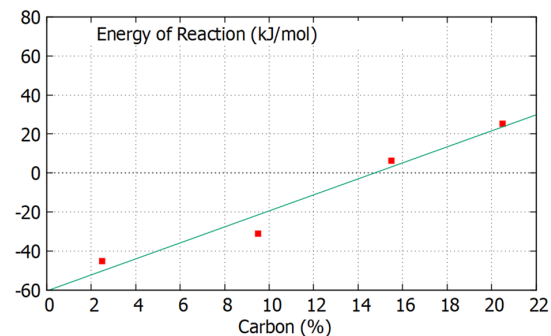


Motivation for full QM:

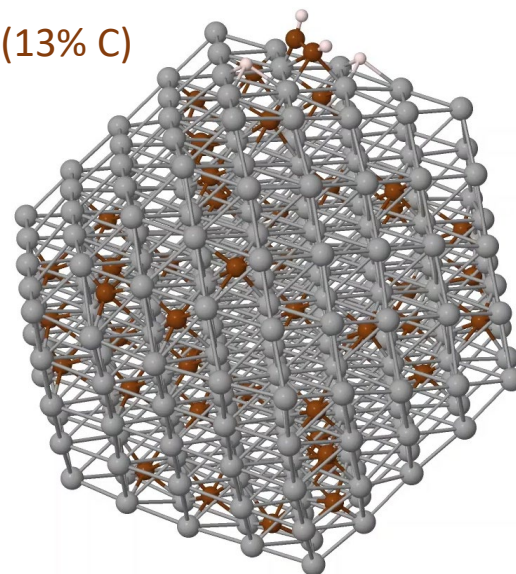
- Captures more physics (Polarization, Charge transfer Many-body effects)
- Low empiricism
- Transferable

Phys. Chem. Chem. Phys. **23** 9381 (2021)

Designing new Pd carbide nanoparticle catalysts for selective hydrogenation of acetylene

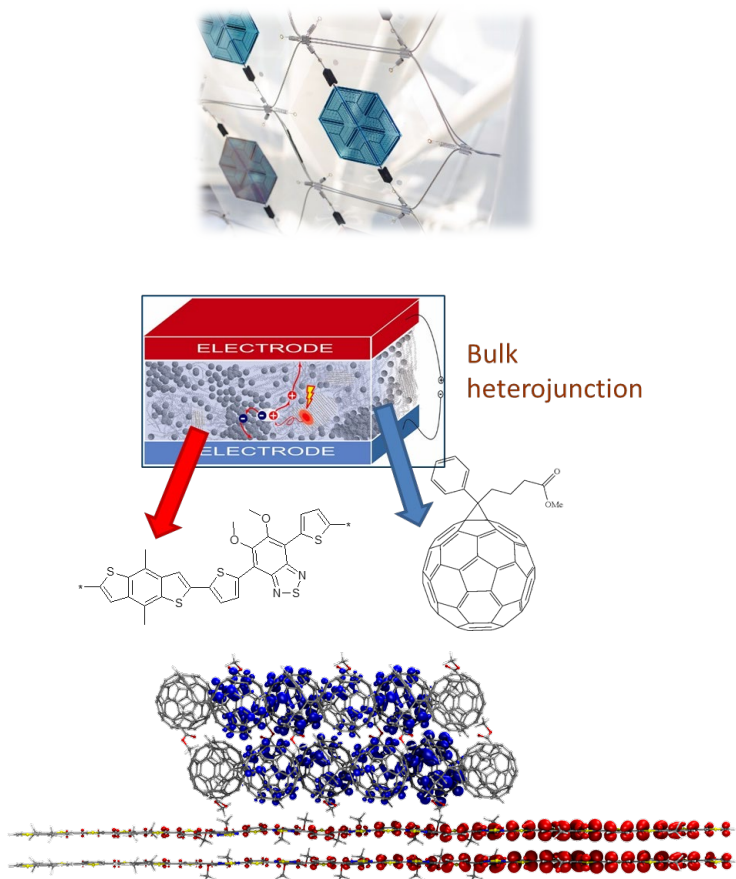


$\text{Pd}_{309}\text{C}_x$ (13% C)



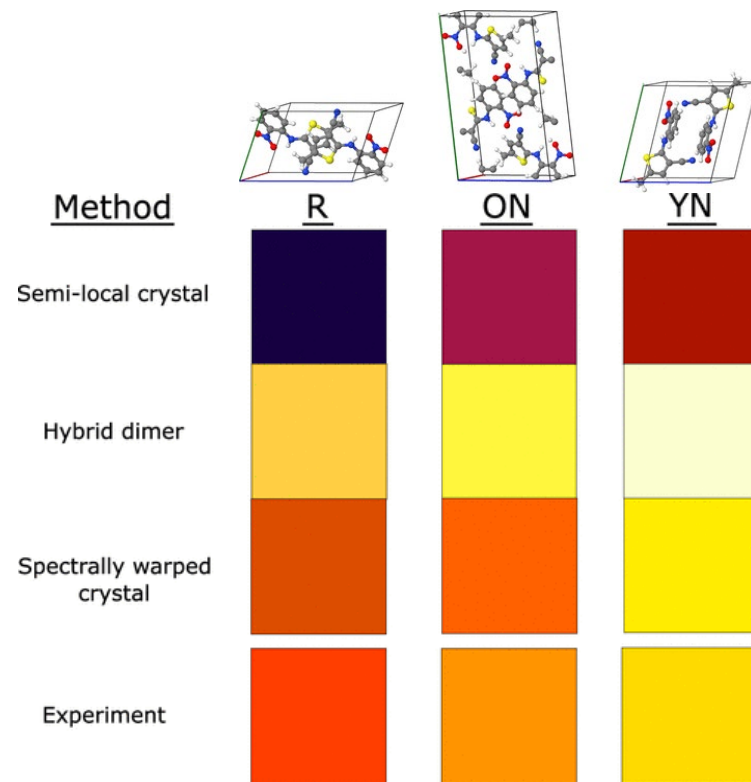
RSC Advances **14** 27799 (2024)

Organic photovoltaics: Linear-scaling Time-Dependent DFT (LS-TDDFT) calculations of excited states



J. Phys. Chem. C **122** 17024 (2018)

Colour prediction from excited state calculations: Including the full crystalline environment to predict experiment



J. Chem. Theory Comput. **17** 5214 (2021)

For more information: www.onetep.org

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ONETEP (Order-N Electronic Total Energy Package) is a linear-scaling code for quantum-mechanical calculations based on density-functional theory.

List of capabilities >

How to get ONETEP >

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